

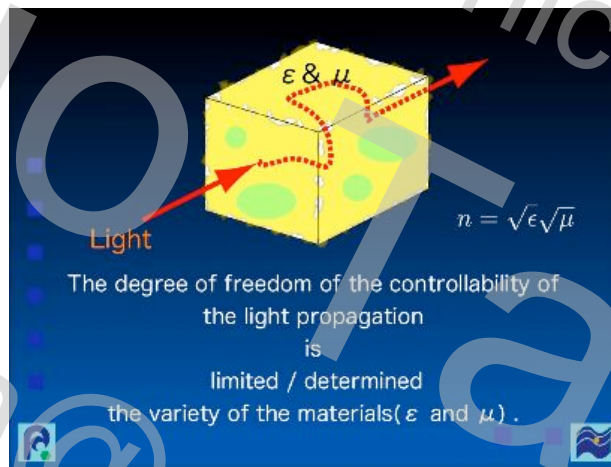
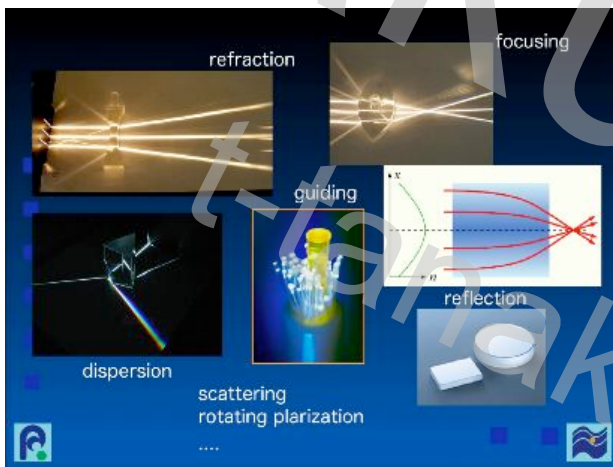
- ## Outline
1. Plasmonic metamaterial
  2. Design of metamaterial
  3. Application of metamaterial for controlling photons
  4. (Fabrication techniques) -> Poster session

## Maxwell equations

-> Describe propagation of light

$$\begin{aligned} \text{rot} \mathbf{E} &= -\mu \frac{\partial \mathbf{H}}{\partial t} \\ \text{div} \mathbf{D} &= \rho \\ \text{rot} \mathbf{H} &= \mathbf{j} + \epsilon \frac{\partial \mathbf{E}}{\partial t} \\ \text{div} \mathbf{B} &= 0 \end{aligned}$$

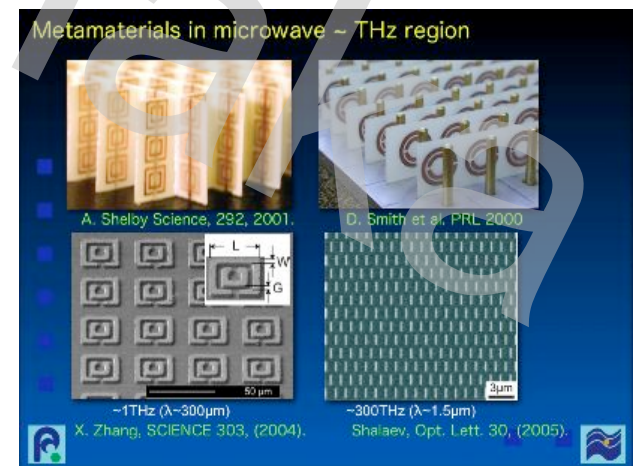
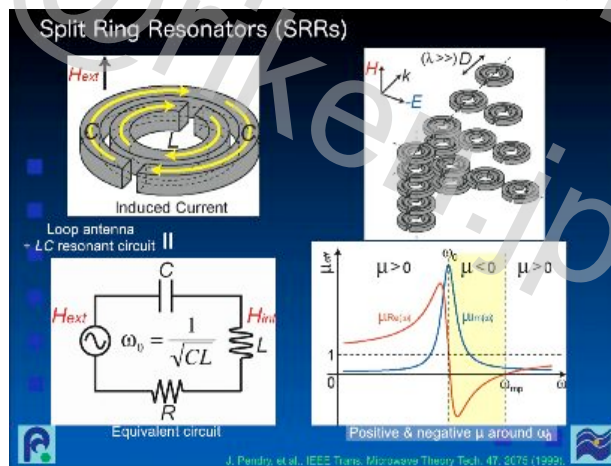
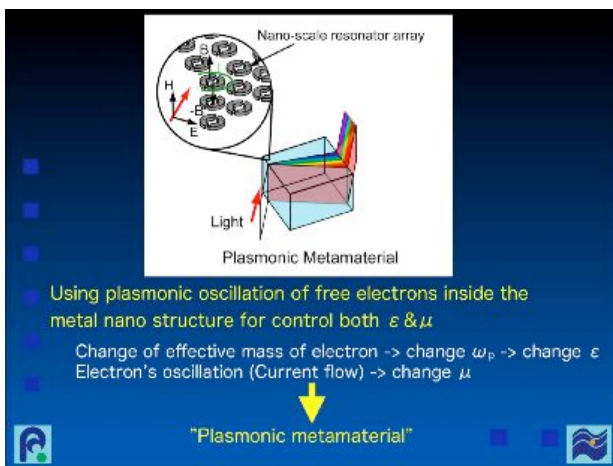
Distribution of  $\epsilon$ ,  $\mu$  -> Way of propagation is determined



in optical frequency region (exceeds Tz)  $n = \sqrt{\epsilon\mu}$

$\mu$  of all material is fixed 1.0!!

Plasma, Metal $n$ : imaginary non-propagating Electric response Ag Au	$\mu$ Dielectrics, Ferromagnetics $n$ : real propagating No Reaction Air Water Glass Diamond
??? $n$ : real propagating? Electric & Magnetic response Not exist in nature	Diamagnetic materials $n$ : imaginary non-propagating magnetic response at DC-GHz Exist in nature



Can we make metamaterials in optical frequency region?

↓

design strategy of metamaterials

Rs: surface resistance  
Xs: internal reactance  
τ: penetration depth  
w: width of the ring

Rs is saturated in the frequency region above 100THz.

Xs increases according to the frequency.

Silver is ideal for the SRRs' material.

τ is saturated at ~20nm.

A. Ishikawa, T. Tanaka, S. Kawata, Phys. Rev. Lett. 95, 237401 (2005).

F : filling factor  
Cg : geometrical capacitance  
Lg : geometrical inductance  
Z(ω) : impedance of the circuit  
Rs: surface resistance  
Xs: internal reactance  
τ: penetration depth  
w: width of the ring

$$\mu_{eff}(\omega) = 1 - \frac{F\omega^2}{\omega^2 - \frac{1}{C_g L_g} + i \frac{Z(\omega)\omega}{L_g}}$$

Frequency Dependence of  $\mu_{Re}$

$$\mu_{eff}(\omega) = 1 - \frac{F\omega^2}{\omega^2 - \frac{1}{C L} + i \frac{Z(\omega)\omega}{L}}$$

Change of  $\mu_{Re}$

Ag SRR exhibits Strong magnetic responses.

Rs/L : Loss  
Xs/L : Dec. Freq

Increasing working frequency to visible region

Large Xs above 100THz

Low resonant freq. of the SRR

Reducing C is necessary for high-freq. operation.

Large C along the ring

Small C in the gap

Double ring SRR → Single ring SRR

$$\mu_{eff}(\omega) = 1 - \frac{F\omega^2}{\omega^2 - \frac{1}{C L} + i \frac{Z(\omega)\omega}{L}}$$

Phys. Rev. Lett. 95, 237401 (2005).

for Ag, F = 6.41%

$\epsilon_r = 2.25$  (e.g. glass)

$w = \tau = 2.5 \delta(\omega)$

a [nm]	l [nm]	r [nm]	w [nm]	g [nm]
875	350	125	125	33
525	350	75	75	33
350	350	50	50	33

l & r were fixed

μRe

Frequency [THz]

Phys. Rev. Lett. 95, 237401 (2005).

for F = 6.41%

$\epsilon_r = 2.25$  (e.g. glass)

$w = \tau = 2.5 \delta(\omega)$

frequency dependence of  $\mu_{Re}$

Change of  $\mu_{Re}$

Visible Range

The saturation of the magnetic responses due to the decrease of resonator size (L)

l is fixed

Phys. Rev. Lett. 95, 237401 (2005), J. Opt. Soc. Am. B (accepted for publication)

Design strategy of nano-resonator

frequency	< 100THz	100THz ~
structure	double ring SRR	single ring SRR
required	large C & wide ring	small C & large L
resonant frequency	linear: $f_0 = \frac{1}{2\pi\sqrt{CL}}$	nonlinear: $f_0 < \frac{1}{2\pi\sqrt{CL}}$
magnetic response	decreased due to resistance: Rs	saturation due to the decrease of L

Requirements for realizing metamaterial

1. plasmonic material  
low resistivity (good conductor) → metal
2. resonator with high Q-value  
shape should be well designed  
resonant frequency → C, L
3. Array  
Three-dimensional array structure

An application of metamaterial for novel photon control

Plasma, Metal $n$ : imaginary non-propagating Electric response Ag Au	$\mu$ ↑ Air 1.0	Dielectrics, Ferromagnetics $n$ : real propagating No Reaction Water Glass Diamond
??? $n$ : real propagating? Electric & Magnetic response Not exist in nature	0	Diamagnetic materials $n$ : imaginary non-propagating magnetic response at DC-GHz Exist in nature
		$\epsilon$

Brewster in s-polarization appears with magnetic materials

Brewster in p- and s-polarization are exclusive.

Anisotropic Metamaterial

- T. Tanaka, et. al Phys Rev. B, 73, 12, 125423 (2006)
- JP Patent 2005-179621
- PCT2005/179621 (2006/6/9)

Satisfy Brewster condition for p- & s-polarization.

No reflection independent of polarizations.

$\theta_{12} = 56.3^\circ$   
 $\theta_{13} = 33.7^\circ$   
 $\theta_{21} = 33.7^\circ$   
 $\theta_{22} = 56.3^\circ$   
 $\theta_{31} = 12.1^\circ$   
 $\theta_{32} = 77.9^\circ$

$M_1 (\epsilon_1 = 1.0, \mu_1 = 1.0)$   
 $M_2 (\epsilon_2^p = 2.25, \mu_2^p = 1.0, \epsilon_2^s = 2.25, \mu_2^s = 6.99)$   
 $M_3 (\epsilon_3 = 1.0, \mu_3 = 1.0)$

$\theta_{12} = \theta_{13} = 50.8^\circ$   
 $\theta_{21} = 39.2^\circ$   
 $\theta_{22} = 39.2^\circ$   
 $\theta_{31} = 20.4^\circ$   
 $\theta_{32} = 69.6^\circ$   
 $\theta_{33} = 69.6^\circ$

$M_1 (\epsilon_1 = 1.0, \mu_1 = 1.0)$   
 $M_2 (\epsilon_2^p = 1.5, \epsilon_2^s = 1.5, \mu_2^p = 1.0, \mu_2^s = 3.29)$   
 $M_3 (\epsilon_3 = 2.25, \mu_3 = 1.0)$

$\theta_{12} = 1.27 \times 10^{-14}$   
 $\theta_{13} = 1.9 \times 10^{-14}$

T. Tanaka, et. al Phys Rev. B, 73, 12, 125423 (2006)

$\mu_{Re} = 3.29$   
 $\text{@} 429 \text{ THz}$   
 $\lambda = 700 \text{ nm}$

$\epsilon_1 = 1.0, \mu_1 = 1.0$   
 $\epsilon_2^p = 1.5, \epsilon_2^s = 1.5, \mu_2^p = 1.0, \mu_2^s = 3.29$   
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$\theta_{12} = 1.27 \times 10^{-14}$   
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An application of metamaterial

T. Tanaka, et. al Phys Rev. B, 73, 12, 125423 (2006)

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 $\text{@} 429 \text{ THz}$   
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$\theta_{12} = 1.27 \times 10^{-14}$   
 $\theta_{13} = 1.9 \times 10^{-14}$

Plasmonic metamaterial

No reflection, perfect coupling

Optical fiber

Core

Cladding

Summary

1. Plasmonic metamaterial for creating magnetic materials in optical frequency region
2. Guidelines for designing of metamaterial
3. Application of metamaterial for controlling photons

Novel Brewster prism which can make perfect light transmission beyond the material boundary independent of its polarization.

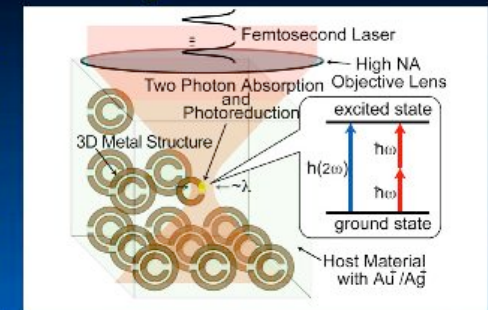
In the poster session

Fabrication techniques

### Requirements for realizing metamaterial

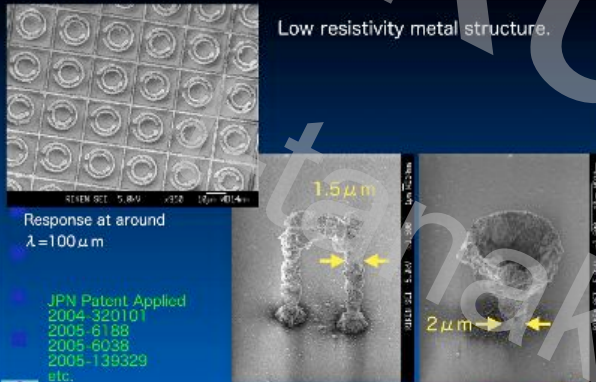
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low resistivity (good conductor) -> metal
2. resonator with high Q-value  
shape should be well designed  
resonant frequency -> C, L
3. Array  
**Three-dimensional array structure**

### Direct drawing metal structure



· T. Tanaka et al. Appl. Phys. Lett. 88, 81107 (2006).  
· JPN Patent Applied 2003-175819, 2005-96327  
· US Patent 10/809,517

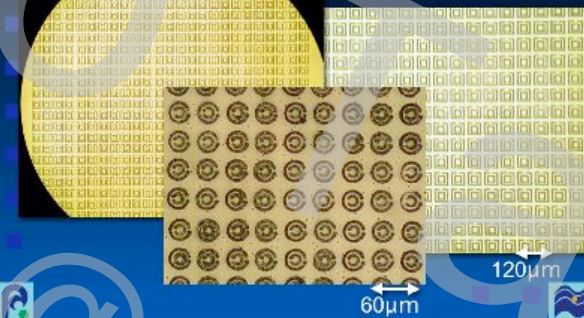
Low resistivity metal structure.



JPN Patent Applied  
2004-320101  
2005-6188  
2005-6038  
2005-139329  
etc.

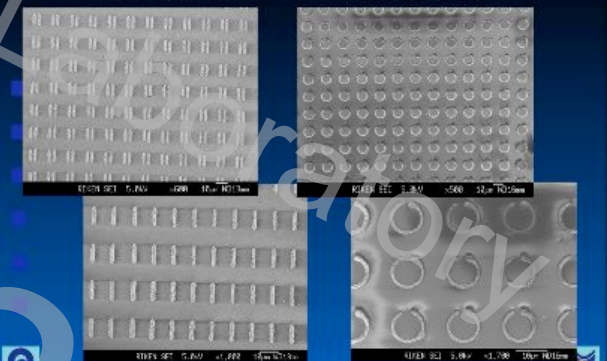
### Two-photon reduction of complex metal ions

Au<sup>3+</sup>-doped PMMA  
( $\lambda = 800\text{nm}$ , two-photon reduction, Stage-scan)  
Direct drawing of Au wires of  $1 \mu\text{m}$  in width.



control  $\epsilon$

control  $\mu$



3D polymer structure + metal coating

